

Envelope Function Approximation

EFA

Module
efaschroedinger

```
Module efaschroedinger{  
    name = somename  
    regions = set_of_regions  
    ...
```

```
Dispersion {  
}  
Solver {}  
Physics  
{ somemodel { } }
```

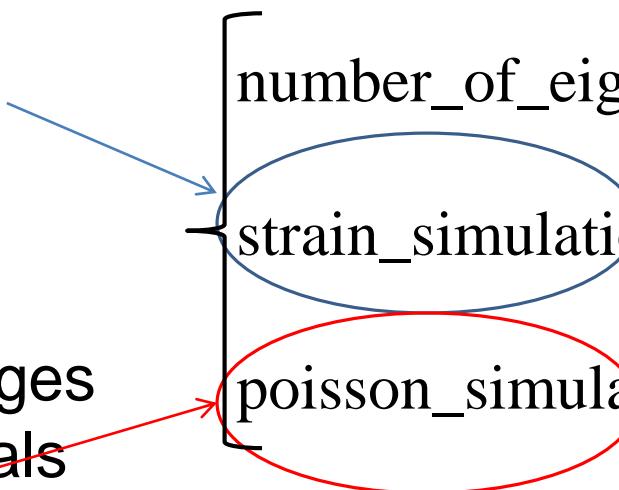
Envelope Function Approximation

EFA

for simulation on
a strained system

Module efaschroedinger
Options

for band edges
and potentials



number_of_eigenstates = n
strain_simulation = my_strain
poisson_simulation = $my_poisson$

The particle (electron,hole) quantum density is calculated by default if the keyword **QuantumDensity** is present in the plot list:

plot = (ProbabilityDensity, EigenEnergy, QuantumDensity)

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Module
efaschroedinger
Physics

Single CB or VB
model
6-bands or 8-bands
 $\mathbf{k}\cdot\mathbf{p}$ model

For a single **valence**
band

Physics

{

particle = el | hl

model = *single_band / 6x6 / 8x8*

[*effective_mass = hole mass*]

}

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Module efaschroedinger

Quantum dispersion

Dispersion

```
{  
    [k-path = G-K-M]  
    number_of_nodes = 10  
    k_max = 1  
}
```

dispersion is calculated in 1D along a defined path P1-P2-P3, for example GKM.

1D k-space (for 1D and 2D Simulations)

The dispersion can be calculated in general in a k-space dimension between 1 and (3-simdim)

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Module opticskp

{

name = *somename*

regions = *set_of_regions*

plot = *list_output_var*

initial_state_model = *efa_sim*

final_state_model = *efa_sim*

...

k_integration{ }

}

Module
opticskp

$$P(\hbar\omega) = \sum_{i,j} \frac{1}{2\pi^2} \frac{\omega_{ij}^2 e^2}{m^2 c^3} |\mathbf{M}_{ij}\mathbf{e}|^2 f_i(E_i)(1 - f_j(E_j)) \frac{\Gamma/2}{(\hbar\omega_{ij} - \hbar\omega)^2 + (\Gamma/2)^2} d\Omega,$$

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spectrum
energy range

$$\left\{ \begin{array}{l} E_{\min} = 3.1 \\ E_{\max} = 5.1 \\ dE = 0.001 \end{array} \right.$$

Module opticskp
Options

Envelope Function Approximation

EFA

With $plot = (\text{optical_spectrum})$:
integration of the optical spectrum in
k-space

```
k_integration {  
    k_max = ...  
    number_of_elements= k-space grid, e.g. (5,5)  
    refine_k_space = true  
    refine_fraction= 0.5  
    refine_accuracy = 0.001  
}
```

Module opticskp
Integration in k space

adaptive k-mesh
refinement is
enabled